

Nuclear transport receptor binding avidity triggers a self-healing collapse transition in FG-nucleoporin molecular brushes

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Conformational changes at supramolecular interfaces are fundamentally coupled to binding activity, yet it remains a challenge to probe this relationship directly. Within the nuclear pore complex, this underlies how transport receptors known as karyopherins proceed through a tethered layer of intrinsically disordered nucleoporin domains containing Phe-Gly (FG)-rich repeats (FG domains) that otherwise hinder passive transport. Here, we use nonspecific proteins (i.e., BSA) as innate molecular probes to explore FG domain conformational changes by surface plasmon resonance. This mathematically diminishes the surface plasmon resonance refractive index constraint, thereby providing the means to acquire and correlate height changes in a surface-tethered FG domain layer to Kap binding affinities in situ with respect to their relative spatial arrangements. Stepwise measurements show that FG domain collapse is caused by karyopherin $\beta 1$ (Kap $\beta 1$) binding at low concentrations, but this gradually transitions into a reextension at higher Kap $\beta 1$ concentrations. This ability to self-heal is intimately coupled to Kap $\beta 1$ -FG binding avidity that promotes the maximal incorporation of Kap $\beta 1$ into the FG domain layer. Further increasing Kap $\beta 1$ to physiological concentrations leads to a “pileup” of Kap $\beta 1$ molecules that bind weakly to unoccupied FG repeats at the top of the layer. Therefore, binding avidity does not hinder fast transport per se. Revealing the biophysical basis underlying the form-function relationship of Kap $\beta 1$ -FG domain behavior results in a convergent picture in which transport and mechanistic aspects of nuclear pore complex functionality are reconciled.

biointerface | molecular crowding | multivalent binding | nucleocytoplasmic transport | polymer brush

Intrinsically disordered proteins (IDPs) that adorn the surfaces of biomolecular structures are thought to confer a host of unique functionalities not found in structured proteins (1). However, unlike their free-floating counterparts in solution (2), the properties of such surface-tethered IDPs can be particularly challenging to evaluate because of their inherent flexibility and conformational susceptibility to local interfacial constraints (3). Herein lies the crux of the nuclear pore complex (NPC) problem, in which in vitro efforts (4–11) to rationalize the collective form-function characteristics of the intrinsically disordered Phe-Gly (FG) domains (12) typically neglect the uncertainty regarding their numbers [approximately 200 divided amongst 11 different FG-bearing nucleoporins (Nups) (13)], their locations within the central NPC channel, and corresponding distances between neighboring anchoring sites (14). As the key components of the NPC barrier mechanism, the manner by which the FG domains impede nonspecific molecules (greater than 40 kDa) whilst granting karyopherins (Kaps) and their cargoes access between the nucleus and the cytoplasm (15–17) is likely to be influenced by such physical constraints. Accordingly, it remains unaccounted for how these contextual details can influence (i) FG domain barrier conformation, (ii) Kap-FG binding avidity (18) [i.e., Kap $\beta 1$, also known as importin β or imp β , has an estimated 10 FG binding

sites (19, 20)], and (iii) subsequent binding-induced conformational changes in the FG domains (21).

As Paine et al. wrote in 1975, “as solute size approaches the dimensions of the (nuclear) pore, solute–pore wall interactions become increasingly important. Specific site interactions... would also influence solute movements” (22). Yet, the sheer molecular complexity of the NPC (23) has for the most part motivated reductionist approaches to tease apart FG domain function in vitro (4–11). Not surprisingly, inherent differences in experimental approach and length scale that largely overlook such “solute–pore wall interactions” have led to differing views on the matter. Briefly, the selective phase model (5, 8) derives from the characteristics of macroscopic FG hydrogels whereby the FG domains form a “self-healing” sieve-like meshwork that only Kaps can dissolve through. The polymer brush model (4) is based on nanoscale validation of how surface-tethered FG domains entropically exclude nonspecific cargoes (24) whilst promoting Kap access by reversibly collapsing (6). On this basis, it has been postulated that permanently collapsed FG domains at physiological Kap concentrations might provide a hydrophobic “FG-rich layer” around the NPC walls for the surface diffusion of Kap-cargo complexes—i.e., “reduction of dimensionality” (25). Finally, the trees and brushes model (26) proposes that a bimodal distribution of collapsed and extended FG domain regions within the NPC provides distinct transport routes for Kap-cargo complexes and passive diffusion, respectively. To add to the confusion, mechanistic and kinetic views of NPC transport also appear to be at odds. One example pertains to the collapse of Nup153 FG domain brushes upon binding Kap $\beta 1$ at picomolar concentrations (6), which has been interpreted (10) to imply a substantially stronger binding affinity over reported K_D values (approximately 10 nM) (27). Indeed, the incompatibility of in vitro–obtained Kap $\beta 1$ -FG domain binding affinities (27–29) to describe in vivo transport rates questions even the relevance of known K_D measurements (30).

In this work, we sought to correlate the conformational changes of surface-tethered FG domains directly to multivalent Kap $\beta 1$ -FG binding interactions (i.e., binding avidity) using a surface plasmon resonance (SPR)-based assay that we developed for this purpose. Importantly, this allows for an in situ measure of FG domain surface density, conformational height change, and Kap-FG binding activity. As an analytical biosensing technique, SPR monitors the change in the angle of incidence light required to create surface plasmon resonance as molecular binding events occur in real time in proximity to the glass/metal sensor surface (31–33). In this way, rate and equilibrium constants are

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determined as analytes from solution bind to surface-tethered molecules (i.e., ligands). Moreover, because the mass of surface-bound molecules can be quantified, SPR is poised for our intended purpose, except for measuring conformational changes, which is formidable because it requires knowing the dielectric property (i.e., refractive index) of the surface-tethered layer (as governed by its *changing* thickness) (34, 35).

Results

Measuring FG Domain Conformational Changes by SPR. To circumvent the SPR refractive index constraint, we begin with a general expression for the effective refractive index n_{eff} at the interface, which is the weighted sum of local indices (34):

$$n_{\text{eff}} = (2/l_d) \int_0^\infty n(z) \exp(-2z/l_d) dz, \quad [1]$$

where $n(z)$ is the refractive index at height z perpendicular to the sensor surface and l_d is the characteristic evanescent field decay length. For a surface-grafted molecular layer of mean thickness d , $n(z) = n_a$ for $0 \leq z \leq d$ and $n(z) = n_s$ for $d < z < \infty$ where the subscripts a and s correspond to “adlayer” and “solvent,” respectively. Based on this definition, Eq. 1 becomes:

$$n_{\text{eff}} = n_a + (n_s - n_a) \exp(-2d/l_d). \quad [2]$$

In the presence of noninteracting molecules, n_s is replaced by n_p , giving:

$$n_{\text{eff}} = n_a + (n_p - n_a) \exp(-2d/l_d), \quad [3]$$

assuming (i) there is a homogeneous distribution of noninteracting molecules in the solvent, and (ii) the layer itself is unaffected by the particles (i.e., noninteracting by definition). Subtracting Eqs. 2 and 3 gives:

$$\Delta n_{\text{eff}} = (n_p - n_s) \exp(-2d/l_d), \quad [4]$$

where Δn_{eff} is the change in the effective bulk refractive index (noting that n_a is now eliminated). Further, because the SPR response

to changes in the bulk solution refractive index (n) (where $n_{\text{PBS}} = 1.33411$ for PBS and $n_{\text{BSA}} = 1.33567$ for PBS/BSA; *SI Text*) is approximately linear over a restricted range (i.e., $\Delta n = 0.01$) in the absence of adsorption from solution, Δn_{eff} can be replaced by the term R/m (34). Here, R is the SPR response resulting from the noninteracting molecules and m is the slope that relates the change in the SPR response to changes in n . By measuring R and m , Eq. 4 can be solved for the thickness d of a molecular layer:

$$d = \frac{l_d}{2} \ln \left(\frac{m(n_p - n_s)}{R} \right). \quad [5]$$

Now, if a reference cell is implemented in addition to the sample cell (with respective parameters defined by subscripts 1 and 2; *SI Text*), calculating $d_2 - d_1$ gives:

$$d_2 = \frac{l_d}{2} \ln \left(\frac{R_1 m_2}{R_2 m_1} \right) + d_1, \quad [6]$$

noting that all the refractive indices are canceled out. Here, d_1 corresponds to a passivation layer of known thickness in the reference cell [i.e., HS-(CH₂)₁₁-(OCH₂CH₂)₃-OH (36); henceforth, C₁₇H₃₆O₄S]. We note that Eq. 6 provides the mathematical basis by which the height of a molecular layer can be assessed without the refractive index constraint using $l_d = 350$ nm (*SI Text*). Therefore, any subsequent height change Δd is computed by subtracting the initial layer height given as $d_2(\text{initial})$ from each measured d_2 .

Fig. 1 describes the methodology of the assay. First, C₁₇H₃₆O₄S and the cysteine-modified N-terminal FG domain of human Nup62 (amino acids 1–240, 15 FG repeats; henceforth, cNup62) are covalently grafted via thiol binding to cell1 (reference) and cell2 (sample) in the SPR system, respectively. Nonspecific interactions are prevented by filling any exposed gold sites in cell2 with C₁₇H₃₆O₄S (37). R_1 and R_2 are the SPR response signals [in resonance units (RU)] that result from injecting BSA into cell1 and cell2, respectively. BSA molecules are almost entirely excluded from NPCs (38), which makes them ideal as innate molecular probes with minimal external influence on the FG domains. We

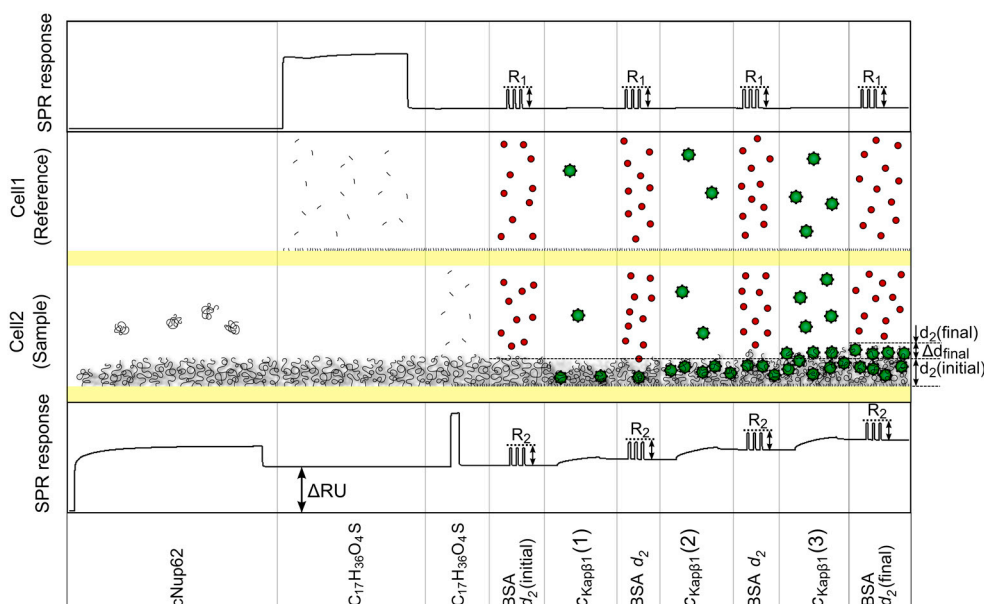


Fig. 1. Measuring binding activity and conformational height changes in situ by SPR. R_1 and R_2 that derive from the presence of innate noninteracting BSA probes (red) in cell 1 (C₁₇H₃₆O₄S) and cell 2 (cNup62), respectively, are used to calculate d_2 in Eq. 6. Stepwise changes Δd that follow Kapβ1 (green) binding are obtained by subtracting $d_2(\text{initial})$ from each d_2 . For instance, Δd_{final} corresponds to the overall height difference between $d_2(\text{initial})$ and $d_2(\text{final})$ —i.e., the first and last BSA injections. g_{cNup62} is obtained from the initial shift in the immobilization baseline ΔRU . Likewise, $g_{\text{Kapβ1}}$ and $\rho_{\text{Kapβ1}}$ are obtained from subsequent changes in ΔRU .

further determined that m_2/m_1 is approximately 1, given the negligible difference in SPR sensitivity between cell1 and cell2 (SI Text). In accordance with Eq. 6, $d_2(\text{initial})$ can then be computed for cNup62 using the known value of $d_1 = 2$ nm for the $\text{C}_{17}\text{H}_{36}\text{O}_4\text{S}$ layer (36). Moreover, it is useful to correlate $d_2(\text{initial})$ to the mean cNup62 grafting distance g_{cNup62} , which is estimated from the shift in the immobilization baseline ΔRU as shown in Fig. 1 (39, 40) (i.e., where $1,300 \text{ RU} = 1 \text{ ng/mm}^2$; SI Text). Stepwise height changes Δd in the cNup62 layer can thereafter be obtained by injecting BSA at each respective Kap β 1 concentration ($c_{\text{Kap}\beta 1}$). Likewise, any change in the surface density of bound Kap β 1 ($\rho_{\text{Kap}\beta 1}$) and the mean next-neighbor distance of Kap β 1 ($g_{\text{Kap}\beta 1}$) can be determined from subsequent changes in ΔRU .

Kap β 1-FG Binding Causes a Nonmonotonic Collapse Transition in cNup62. Fig. 2A shows a representative SPR measurement where $d_2(\text{initial}) = 14.1$ nm for $g_{\text{cNup62}} = 2.4$ nm. Given that $d_2(\text{initial}) > \sigma_{\text{cNup62}}$ and $g_{\text{cNup62}} < \sigma_{\text{cNup62}}$, where $\sigma_{\text{cNup62}} (=8.5 \text{ nm})$ is the hydrodynamic size of cNup62, indicates that the FG domains form an extended molecular brush (4). We then calculated Δd , $\rho_{\text{Kap}\beta 1}$, and $g_{\text{Kap}\beta 1}$ for 16 titrations of $c_{\text{Kap}\beta 1}$ increasing from 0.1 nM to $13.4 \mu\text{M}$. Striking nonmonotonic phase behavior emerges when Δd is plotted against $\rho_{\text{Kap}\beta 1}$ (Fig. 2B): (1) Up to $c_{\text{Kap}\beta 1} = 40 \text{ nM}$, Δd declines sharply (i.e., negative height change), reaching a minimum at $\rho_{\text{Kap}\beta 1} = 29.9 \text{ Da/nm}^2$ ($g_{\text{Kap}\beta 1} = 55.5 \text{ nm}$); (2) Δd undergoes a gradual increase that crosses over $\Delta d = 0$ at $\rho_{\text{Kap}\beta 1} = 1,010 \text{ Da/nm}^2$ ($g_{\text{Kap}\beta 1} = 9.8 \text{ nm}$) when $c_{\text{Kap}\beta 1} = 4 \mu\text{M}$; and (3) Δd increases steadily (i.e., positive height change) until $\rho_{\text{Kap}\beta 1} = 1,442.6 \text{ Da/nm}^2$ ($g_{\text{Kap}\beta 1} = 8.2 \text{ nm}$) at the maximum $c_{\text{Kap}\beta 1} = 13.4 \mu\text{M}$. Further evidence of these transitions can be drawn from correlations with Kap β 1-FG binding activity. In Fig. 2C, the quality of a single-component Langmuir isotherm fit (χ^2) to R_{eq} deteriorates once $c_{\text{Kap}\beta 1}$ is increased past $4 \mu\text{M}$, where K_D is approximately 400 nM . Conversely, χ^2 is minimized by a two-component fit (SI Text) over the entire $c_{\text{Kap}\beta 1}$ range, giving $K_{D1} = 347 \text{ nM}$ and $K_{D2} = 95.9 \mu\text{M}$, which suggests that a low-affinity binding phase emerges at higher $c_{\text{Kap}\beta 1}$ values. For comparison, a single-component fit giving $K_D = 1.28 \mu\text{M}$ appropriately describes Kap β 1-FG binding to sparse non-brush-like cNup62 “mushrooms” [Fig. 2C, Inset; $g_{\text{cNup62}} = 11.0 \text{ nm}$ and $d_2(\text{initial}) = 2.5 \text{ nm}$].

Although Δd accounts for an ensemble average of local height changes, the following qualitative outcomes can be rationalized from *Gedankenexperiment* (“thought experiment”; illustrated in SI Text). For phase 1, the following scenarios can be eliminated: (i) cNup62 accommodates Kap β 1 ($\Delta d = 0$); (ii) cNup62 engulfs Kap β 1 and swells ($\Delta d > 0$); and (iii) Kap β 1 stays “perched” on cNup62 ($\Delta d > 0$). As depicted in Fig. 3, the steep negative decline ($\Delta d < 0$) is caused by a local collapse of cNup62 around Kap β 1 due to multivalent Kap β 1-FG interactions. In phase 2, the “recovery” in Δd is a consequence of in-layer steric crowding as caused by a further addition of Kap β 1, which rearranges the FG domains into more entropy-favoring conformations. Subsequent cross-over occurs ($\Delta d \rightarrow 0$; $c_{\text{Kap}\beta 1} = 4 \mu\text{M}$) when $\rho_{\text{Kap}\beta 1} = 1,010 \text{ Da/nm}^2$, which closely approximates the expected surface density of a packed Kap β 1 monolayer (approximately $1,000 \text{ Da/nm}^2$) [from small angle X-ray scattering data (41); SI Text]. Referring to Fig. 2C, $K_{D1} = 347 \text{ nM}$ is relatively strong up until this point owing to maximal Kap β 1-FG binding within the cNup62 layer. However, correlating $\Delta d > 0$ and $K_{D2} = 95.9 \mu\text{M}$ in phase 3 indicates the formation of a weakly bound secondary “pileup” layer when excess Kap β 1 binds to unoccupied FG domain regions that protrude from the cNup62 layer.

In Fig. 4A, the results of Δd vs. $\rho_{\text{Kap}\beta 1}$ obtained from cNup62 brushes with different g_{cNup62} and $d_2(\text{initial})$ indicate that the collapse transition is a common feature during initial Kap β 1 binding. This is followed by a recovery phase with taller brushes

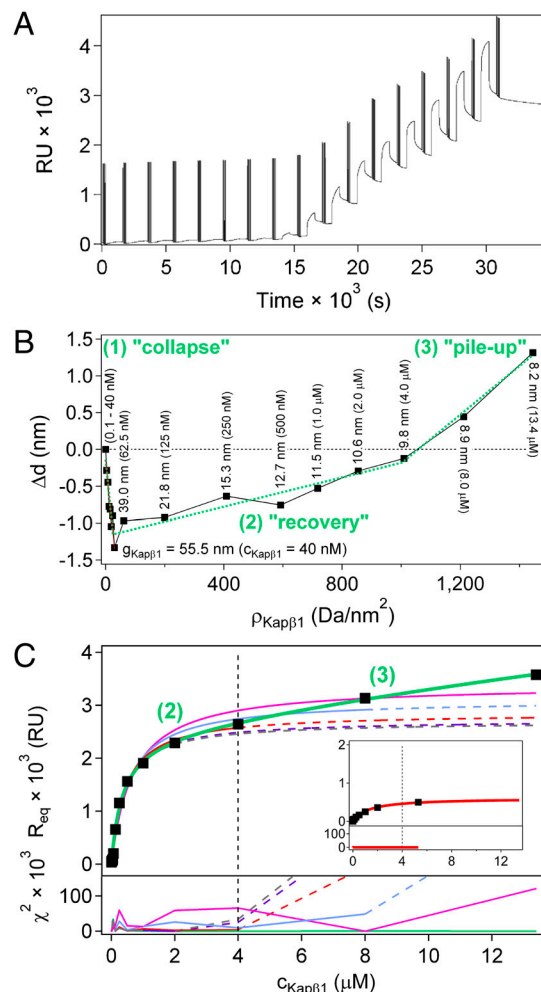


Fig. 2. Nonmonotonic behavior in a cNup62 brush caused by Kap β 1-FG binding. (A) Successive 3×30 s BSA injections follow 16 $c_{\text{Kap}\beta 1}$ titrations ranging from 0.1 nM to $13.4 \mu\text{M}$ on a cNup62 brush characterized by $g_{\text{cNup62}} = 2.4$ nm and $d_2(\text{initial}) = 14.1$ nm. (B) The cNup62 brush undergoes collapse at low $\rho_{\text{Kap}\beta 1}$ (1), followed by recovery (2), which reaches pileup (3) upon crossing Δd equal 0. Included are the values of $g_{\text{Kap}\beta 1}$ and $c_{\text{Kap}\beta 1}$ (in parentheses) that correspond to each respective Δd measurement. (C) The steady-state (R_{eq}) SPR response across the entire $c_{\text{Kap}\beta 1}$ range (from A; 0.1 nM to $13.4 \mu\text{M}$) is optimally fit using a two-component Langmuir isotherm (green) giving $K_{D1} = 347 \text{ nM}$ and $K_{D2} = 95.9 \mu\text{M}$. For single fits (K_D of approximately 400 nM), χ^2 is minimized at low terminal $c_{\text{Kap}\beta 1}$ values (grey, purple, and red) but deviates past $c_{\text{Kap}\beta 1} > 4 \mu\text{M}$ (blue and pink). Solid and dashed lines denote the actual fitted $c_{\text{Kap}\beta 1}$ range and the predicted K_D behavior, respectively. (Inset) A single $K_D = 1.28 \mu\text{M}$ is found for Kap β 1 binding to sparse cNup62 mushrooms where $g_{\text{cNup62}} = 11.0 \text{ nm}$ and $d_2(\text{initial}) = 2.5 \text{ nm}$.

requiring more Kap β 1 molecules (higher $\rho_{\text{Kap}\beta 1}$) to reach pileup. Recalling that $\rho_{\text{Kap}\beta 1}$ for a Kap β 1 monolayer is approximately $1,000 \text{ Da/nm}^2$ indicates that taller brushes [$d_2(\text{initial}) > 14.1 \text{ nm}$] accommodate a secondary Kap β 1 layer to recover. For comparison, sparser mushroom-like cNup62 layers undergo a negligible collapse and reach pileup without recovering. A three-dimensional spatial description is shown in Fig. 4B, where the change in total mass-volume density Δv (i.e., cNup62 and Kap β) is plotted against relative height change $\Delta d/d_2(\text{initial})$. During collapse, the linear increase in Δv is dominated by a compaction of cNup62 because only small amounts of Kap β 1 are bound. Interestingly, the overlap indicates that Δv scales with $\Delta d/d_2(\text{initial})$, that is, the total amount of space occupied is equally optimized within different cNup62 layers regardless of their initial brush conformation or amount of bound Kap β 1. During the initial stages of recovery, Δv increases at constant $\Delta d/d_2(\text{initial})$ where the void

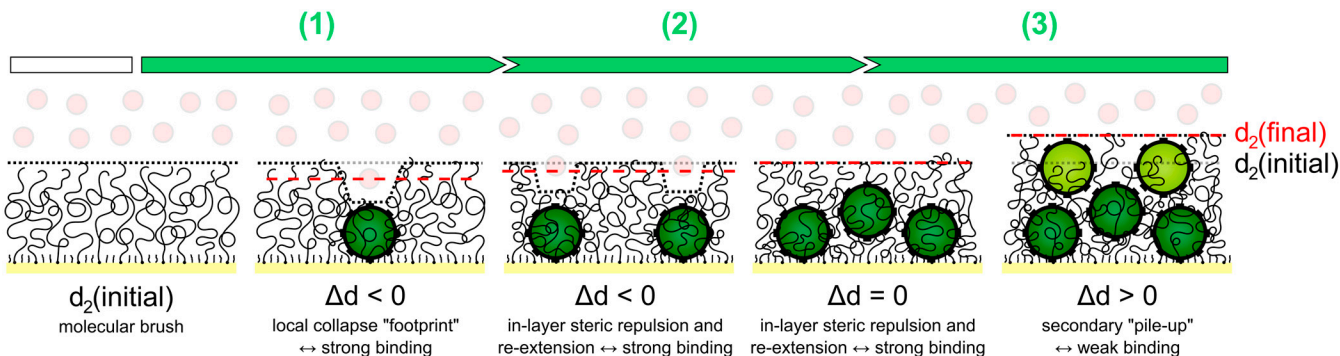


Fig. 3. Kap β 1-FG binding activity and cNup62 form-function are intimately coupled. (1) A local collapse of cNup62 occurs around Kap β 1 owing to strong multivalent Kap β 1-FG (dark green) binding at low $\rho_{\text{Kap}\beta 1}$. (2) Additional Kap β 1 molecules bind tightly in the cNup62 layer, driving unoccupied FG domains to extend or recover because of increasing in-layer steric repulsion whereupon the layer self-heals, reaching $\Delta d = 0$. (3) At high $\rho_{\text{Kap}\beta 1}$, a secondary layer of Kap β 1 (light green) binds weakly to unoccupied FG domain protrusions giving $\Delta d > 0$. Red dashed lines correspond to the cNup62 layer height as measured by BSA (red watermarked).

volume of each layer is being filled with additional Kap β 1. Upon reaching pileup, Δv approaches a saturated critical capacity that is maintained by increasing $\Delta d/d_2(\text{initial})$ (i.e., via FG domain rearrangements). While our interpretation is consistent with theoretical predictions (42), we note that pileup commences sooner for sparse cNup62 layers because of their isolation and lower capacity to bind Kap β 1.

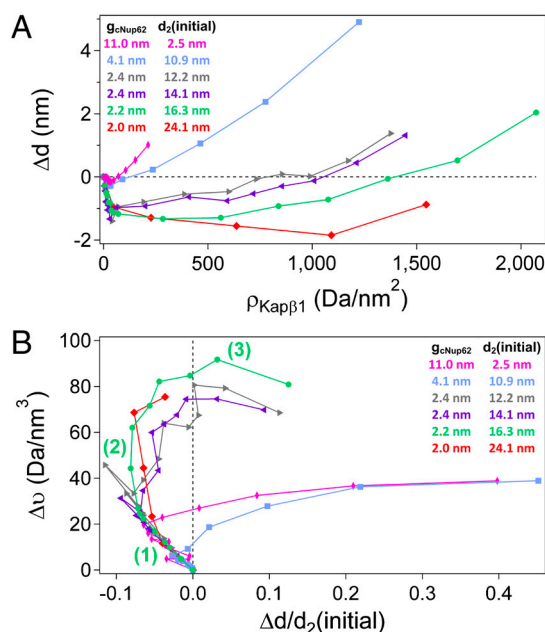


Fig. 4. Brushes collapse sparse layers do not. (A) Plot of Δd vs. $\rho_{\text{Kap}\beta 1}$, where the extent of collapse increases for taller cNup62 brushes (red > green > purple > grey) as compared to sparser layers (blue, pink). A greater amount of bound Kap β 1 is also required for taller brushes to recover before reaching pileup (red > green > purple > grey). Sparse cNup62 layers exhibit a negligible collapse followed by an immediate pileup without recovering (blue, pink). (B) Plot of the total (Kap β 1 and cNup62) mass-volume density change Δv vs. relative height change $\Delta d/d_2(\text{initial})$. (1) For brushes (red, green, purple, grey), a linear increase in Δv accompanies a 10% reduction in $\Delta d/d_2(\text{initial})$ because of cNup62 compaction upon collapse. Their overlap reveals that the total space occupied scales with the extent of collapse and is conserved. (2) The transition into recovery at Δv of approximately 20 Da/nm³ proceeds with additional Kap β 1 binding without changing $\Delta d/d_2(\text{initial})$. Saturation at Δv of approximately 70 Da/nm³ denotes FG domain reextension to maintain its capacity to accommodate more Kap β 1, marking the commencement of (3) pileup. Sparser conformations (blue, pink) have a low Kap β 1 capacity, and pile up at low Δv without recovering.

Kap β 1-FG Binding Avidity Depends on cNup62 Conformation. Fig. 5A summarizes the dependence of $d_2(\text{initial})$ on g_{cNup62} . Clearly, extended molecular brushes form at small g_{cNup62} , and transition into sparser layers or mushrooms at large g_{cNup62} . Because cNup62 ($pI = 9.31$) is net positively charged at pH 7.2, we deduce that this behavior is polyelectrolytic in nature (i.e., forming polyelectrolyte brushes), as suggested by Flory-Huggins theory (43) (SI Text). The corresponding plot of K_D vs. g_{cNup62} in Fig. 5B reveals how non-monotonic behavior is linked to Kap β 1-FG binding avidity. When $g_{\text{cNup62}} > \sigma_{\text{cNup62}}$, single K_D values of approximately 10 μM reflect the limited propensity of individual cNup62 mushrooms to bind Kap β 1. This appears to split at $g_{\text{cNup62}} < \sigma_{\text{cNup62}}$, where two binding constants (K_{D1} and K_{D2}) emerge becoming more apparent at low g_{cNup62} (Fig. 2C) because of the onset of brush formation. At low to moderate $c_{\text{Kap}\beta 1}$, strong binding (K_{D1} of approximately 0.2 μM) accompanies collapse and recovery where Kap β 1 has access to FG repeats residing amongst neighboring FG domains, thereby reaching a maximum (K_{D1} decreases) at small g_{cNup62} . This is consistent with prevailing sub- μM K_D values, noting that the highest Kap concentrations tested were below 1 μM (27–29). At large $c_{\text{Kap}\beta 1}$, however, in-layer steric crowding and a reduction of unoccupied FG repeats give rise to weaker binding (K_{D2} ranging from 10 μM to 1 mM) that is associated with pileup. The large variation in K_D is therefore a hallmark of binding avidity that emerges from the myriad of Kap β 1-FG binding possibilities that derive from the inherent flexibility and conformational susceptibility of surface-tethered FG domains.

Discussion

We have shown that self-healing nonmonotonic FG domain behavior is intimately coupled to Kap β 1-FG binding activity as defined by their relative spatial arrangements (i.e., g_{cNup62} and $g_{\text{Kap}\beta 1}$). This results from a competition between FG domain collapse (caused by multivalent Kap β 1-FG binding) and FG domain reextension, which maximizes the capacity of the layer to bind more Kap β 1. Supposing that only sparse FG domain mushrooms existed in the pore, one might expect an increase in passive transport owing to a reduction in barrier functionality; counterintuitively, however, selective transport could slow down because of a comparatively high Kap β 1-FG binding affinity (K_D of approximately 10 μM ; Fig. 5B). Instead, our findings support a view where crowding is not only important for selectivity (44), but also essential for promoting fast Kap β 1 transport in the NPC (45). Indeed, the high FG domain surface density (small g_{cNup62}) data, which bears a close resemblance to the NPC (where up to 128 copies of Nup62 may be present; ref. 46), predicts that at least two Kap β 1 binding phases exist at physiological concentrations ($c_{\text{Kap}\beta 1}$ of approximately 10 μM ; ref. 47): (i) strong binding (K_{D1}) amongst

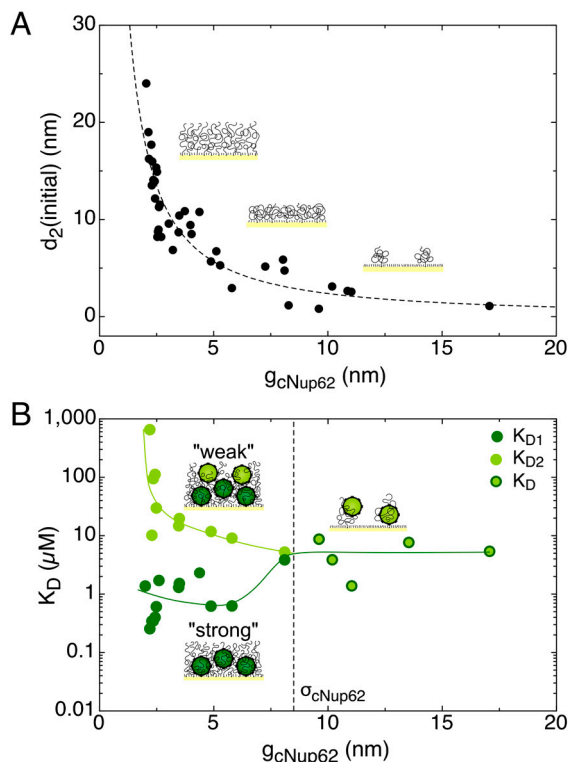


Fig. 5. Brush height and Kap β 1 binding avidity are correlated via cNup62 grafting distance. (A) Dependence of $d_2(\text{initial})$ on g_{cNup62} , showing that cNup62 forms a molecular brush at low g_{cNup62} (i.e., high surface grafting density) and transitions towards sparse mushrooms at high g_{cNup62} . A fit of the Flory–Huggins equation to $d_2(\text{initial})$ suggests that cNup62 is polyelectrolytic in nature (SI Text). (B) Kap β 1 binding affinity to cNup62 is modulated by g_{cNup62} . An intermediate single binding phase occurs at g_{cNup62} larger than σ_{cNup62} (≈ 8.5 nm; dotted line) because of the limited Kap β 1 binding capacity of sparse mushrooms. This splits at low g_{cNup62} (i.e., in the brush regime), where strong binding to cNup62 (K_{D1} ; dark green) occurs at low to moderate $c_{\text{Kap}\beta 1}$ (collapse and recovery), whereas weak binding (K_{D2} ; light green) occurs at large $c_{\text{Kap}\beta 1}$ (pileup).

a population of semicollapsed FG domains at the pore walls; and (ii) weak Kap β 1 binding (K_{D2}) to unoccupied FG domain protrusions near the pore center. As follows, it is the weak binding phase in a Kap β 1-crowded pore that is key to promoting fast transport rates.

Altogether this is reminiscent of a “highway” effect, where Kap transport is slow at the pore walls but fast near the pore center (Fig. 6) as can be inferred from two-phase binding in NPC transport studies (48). More striking evidence can be found from the single molecule fluorescence studies of Ma et al. in terms of the preferred location of Kap β 1 along the NPC walls that leaves a narrow passage at the pore center for passive diffusion to proceed (49). The transition from more collapsed FG domain segments nearer the walls to unoccupied protrusions toward the center may certainly contribute to the inhomogeneous, viscous characteristics of the central channel (50). Nevertheless, understanding the collective FG domain response in the NPC will require an evaluation of the surface density for each different FG Nup and the effects of Kap β 1 binding avidity. The highway effect might also explain how increasing $c_{\text{Kap}\beta 1}$ sharply decreases NPC interaction time, thereby improving import efficiency (45). Without precluding the effect of weakly binding competitors (30), this might explain how in vivo NPC transport is fast despite strong binding avidity in vitro. It is noteworthy that the K_{D2} measurements lie in close agreement with the range of weak μM to mM affinities anticipated to describe known NPC transport rates (i.e.,

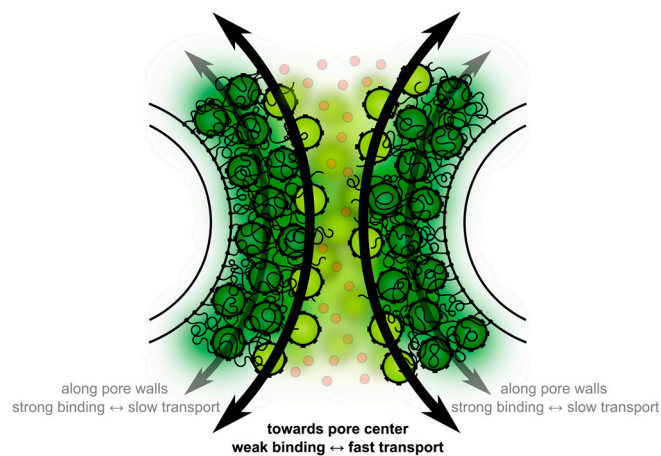


Fig. 6. The NPC transport highway where Kap β 1 traffic can proceed via at least two “lanes” at physiological concentrations. Slow transport is anticipated for strongly bound Kap β 1 molecules (dark green) that saturate semicollapsed FG domains around the pore walls. Fast transport occurs nearer the pore center, where Kap β 1 binds weakly to unoccupied FG domain protrusions (light green). Small passive molecules (red watermarked) may diffuse freely through the pore center.

approximately 10 ms) (30). Thus, binding avidity need not hinder fast transport per se.

Finally, our findings reconcile the key features postulated by different NPC models. While entropic exclusion rejects nonbinding molecules (4, 24), nonmonotonic behavior signifies that the FG domains are not permanently collapsed but undergo dynamic rearrangements during Kap β 1 transport (6). Importantly, this imparts a self-healing mechanism on surface-tethered FG domains in the NPC at the nanometer scale without requiring for hydrophobic FG cross-linking as argued from the basis of bulk FG hydrogels that take over several micrometers to reseal (8). Hence, one may consider the population of strongly bound Kap β 1 as integral constituents of the NPC (25). Nevertheless, the occurrence of the weak binding phase does bring into question the role of RanGTP in dissociating Kap β 1 from the FG domains (18). To clarify, we have also ascertained that Kap β 1 does not bind covalently to the underlying gold SPR surface (SI Text), thereby disputing allegations (10) that the FG domain collapse constitutes an in vitro artifact. Methodological differences aside, the mismatch in Kap β 1 concentrations may explain why FG domain collapse was observed for Nup153 brushes ($c_{\text{Kap}\beta 1} \leq 33$ nM) (6), but not for brushes of Nsp1 ($c_{\text{Kap}\beta 1} \geq 200$ nM) (10). In the future, experimentation ought to involve stepwise height measurements spanning from low-nM to approximately 10 μM Kap β 1 concentrations. On a related note, it should be instructive that Kap binding activity cannot be rationalized (10) from conformational FG domain behavior alone.

To conclude, we have uncovered Kap β 1-FG domain behavior that reconciles transport and mechanistic aspects of NPC functionality. Such insight can contribute to the functional design and optimization of biomimetic selective channels and nanopores (9, 11, 51). On a technical note, our SPR methodology affords the correlation of binding affinities, in-plane molecular arrangements, and conformational changes in situ. This can be powerful in resolving the form–function relationships of diverse surface-tethered IDPs (52–54) and other stimuli-responsive polymers (55, 56) on biological interfaces.

Methods

Cloning and Expression of Recombinant cNup62 and Kap β 1. A comprehensive description of the following protocols can be found in ref. 11. Briefly, the N-terminal FG repeat domain of human Nup62 (amino acids 1–240) was subcloned by GenScript Inc. into pPEP-TEV vector at the BamHI and Sall restriction sites. One cysteine was added to its C terminus (Cys-Nup62) as a covalent tether to Au. The recombinant N-terminal His $_6$ -tagged cNup62

and Kap β 1 were expressed in *Escherichia coli* BL21 (DE3) cells. The final protein purity was analyzed by SDS/PAGE (SI Text), and selected fractions were dialyzed against PBS (pH 7.2; Invitrogen) for further use.

Other Materials. Ten mg/mL BSA (Sigma–Aldrich) was carefully dissolved in PBS; C₁₇H₃₆O₄S (Nanoscience) was dissolved until reaching 10 mM in ethanol and diluted with PBS to 1 mM before experimentation.

SPR Sensor Chip Preparation. SPR bare gold sensor chips (SIA Kit Au) were from GE Healthcare. Upon removal from storage in an argon atmosphere, gold sensor surfaces were ultrasonicated in acetone and high-purity ethanol (Merck) for 15 min, respectively, and dried in a nitrogen gas stream followed by 60 min UVO cleaning (Model 42A-220; Jelight Company Inc.). The gold sensor surfaces were then ultrasonicated for another 15 min in ethanol, dried in a nitrogen gas stream, and mounted on the sample holder for immediate

SPR usage. A comprehensive description of the SPR measurement protocol with error analysis can be found in SI Text.

Dynamic Light Scattering. Hydrodynamic diameter measurements of Kap β 1 and cNup62 were made in PBS with the addition of 1 mM DTT using a Zetasizer Nano instrument (Malvern). This gave $\sigma_h = 8.47 \pm 0.45$ nm (polydispersity index = 0.36 ± 0.08) for cNup62 and $\sigma_h = 12.06 \pm 0.09$ nm (polydispersity index = 0.423 ± 0.19) for Kap β 1, using $n = 1.45$ and $n = 1.330$ as the refractive index for proteins and dispersant [i.e., water; $t = 25.0^\circ\text{C}$, viscosity = 0.8872 cP ($1\text{P} = 0.1\text{Pa}\cdot\text{s}$)], respectively.

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